

# ON THE DEVELOPMENT, CONNECTIONS, AND OPPORTUNITIES OF INCORPORATING RFT WITHIN AI RECOMMENDER SYSTEMS.

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WPMSIIP September 2016*

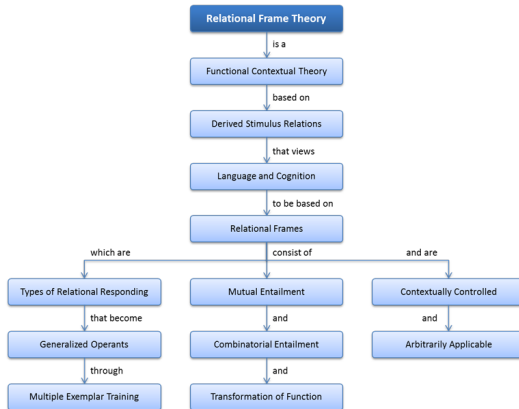


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# Introduction

- Relational Frame Theory
- AI as a data source form Recommender Systems
- Classic and Context-aware Recommender Systems
- Cold-start problems
- Linking concepts from psychology to AI & Recommender Systems.

# Relational Frame Theory



: Taken from: <https://foxylearning.com/tutorials/rft/3/4422-1008>

## Relational Frame Theory

- Mutual Entailment

$$C_{rel}\{A r_x B \parallel B r_y A\}$$

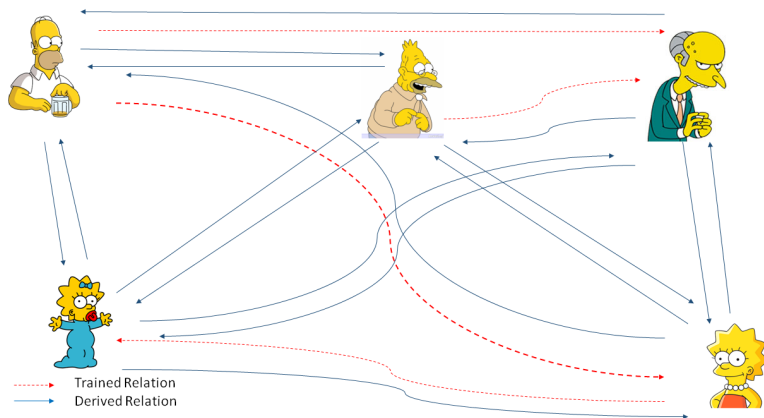
- Combinatorial Entailment

$$C_{rel}\{A r_x B \text{ and } B r_y C \parallel A r_p C \text{ and } C r_q A\}$$

- Transformation of Function

$$C_{func}[C_{rel}A r_x B \text{ and } B r_y C \{A f_1 \parallel B f_2 r_p \text{ and } C f_3 r_q\}]$$

## Derived Relations



: The Simpsons: Trained and Derived Relations

## Derived Relations

For  $n \geq 2$ ,  $n \in \mathbb{Z}$ , trained relations we get  $n^2$  derived relations.

$$X_1 \xrightarrow{\text{Trained}} X_2 \xrightarrow{\text{Trained}} X_3 \dots \xrightarrow{\text{Trained}} X_n \xrightarrow{\text{Trained}} X_{n+1}$$

So we have:

$$2(n) + 2(n-1) + 2(n-2) + \dots + 2(n-(n-2)) + 2(n-(n-1)) - (n) =$$

$$2 \underbrace{(n + n + \dots + n)}_{n \text{ times}} - 2(1 + 2 + \dots + (n-1)) - n =$$

$$2n^2 - 2 \sum_{i=1}^{n-1} i - n =$$

$$2n^2 - 2 \left( \frac{(n-1)(n)}{2} \right) - n =$$

$$2n^2 - (n^2 - n) - n =$$

$$2n^2 - n^2 + n - n =$$

$$n^2$$

# Artificial Intelligence

- “artificial intelligence is the science of making machines do things that would require intelligence if done by man”. Marvin Minsky (1961)
- We can think of AI as the knowledge basis that underlies a RS
  - Social Knowledge Source
  - Personal Knowledge Source
  - Context Knowledge Source

## Recommender Systems

- “More Formally, the recommendation problem can be formulated as follows: Let  $C$  be the set of all users and let  $S$  be the set of all possible items that can be recommended. Let  $u$  be a utility function that measures the usefulness of item  $s$  to user  $c$ , that is,  $u : C \times S \rightarrow R$ , where  $R$  is a totally ordered set. Then, for each user  $c \in C$ , we want to choose such item  $s' \in S$  that maximizes the user's utility. More formally:

$$\forall c \in C, \quad s'_c = \arg \max_{s \in S} u(c, s).”$$

(Adomavicius 2005)



# Types of Recommender Systems

- Context-based
  - Recommends items that are similar to those preferred by the user in the past.
- Collaborative
  - Recommends items that people with similar preferences have liked in the past.
- Hybrid
  - A combination of context-based and collaborative approaches.

## Context-Aware Recommender Systems

- Taking context into account.
  - What is context?
  - How does context affect our decision-making processes?
- This approach normally includes an additional parameter(s) to classic RSs.
- Elicitation.
  - Explicit elicitation.
  - Implicit elicitation.

# Cold-Start Problem

- Two types of cold-start problems:
  - New-user cold-start where there is no data available for a new user.
  - New-item cold-start problem where there is no rating information for a new item.

## Linking RFT to Recommender Systems

There is already a number of researchers that try to incorporate concepts from psychology into recommender systems and machine learning.

- Social Choice Theory (Li & Tang, 2016).
- AI teaching AI (Ammar *et al.* 2014).

## Challenges of incorporating derived relations

- How can we incorporate the derived relations when the strength of the relation is not clear?
- There may be very little data available, sometimes no data at all.
- How can we elicit information about context?
- Computational time is very important.

- My question:  
How would a mathematical model of uncertainty, ignorance or vagueness help and be incorporated here?